

# **Stable Dynamic Walking of the Quadruped Robot “Kotetsu” Using Phase Modulations Based on Leg Loading/Unloading against Lateral Perturbations**

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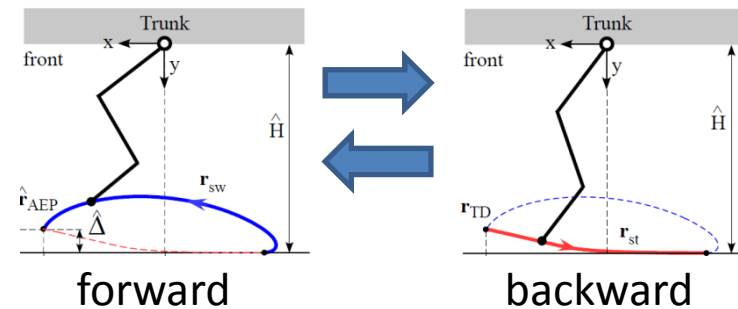
Tomohiro Nishikawa (Takemoto Denki co.)

# Simple quadruped controller as far as possible

At least, we need

- Motion of single leg

(by desired trajectory & PD control)



- Leg phase transitions between swing and stance (using what kind of sensor information?)
- Explicit interleg coordination? (what kind of coordination?)
- Explicit posture (rolling motion) control?
- Reflexes to adapt to terrains of middle and high degree of irregularity [series of Tekken: 2001-2005]

# While studying such basis of quadraped controller ....

We can while using no reflex

1. clear the meanings of phase modulations in the view points of
  - rhythmic motion control
  - interleg coordination
  - posture (rolling motion) controlfor adaptive walking and running.
2. make it decentralized and robust (in future)
3. investigate the roles of CPG of animals.

# Biologically Inspired Approach

## Sensor information

## for regulation of stance termination

In cats, the transition from stance to swing in the hind legs relies on signals related to :

- ankle extensor muscle force  $\Leftrightarrow$  leg unloading

[Duysens and Pearson 1980]

More important !

[Ekeberg and Pearson 2005]

- hip extension  $\Leftrightarrow$  close to PEP

[Grillner and Rossignol 1978, Hiebert et al. 1996]

(Posterior  
Extreme  
Position)

# Outlines

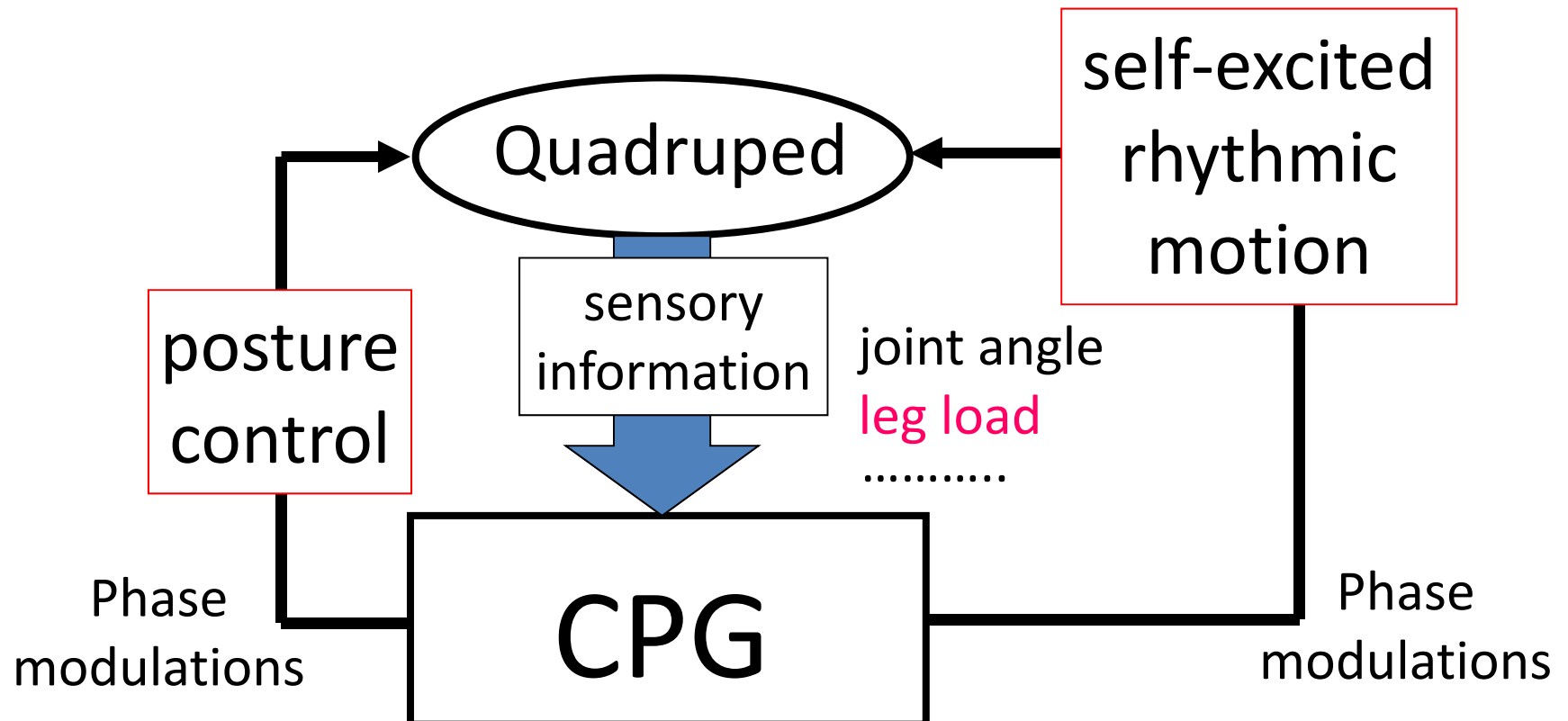
- Background & Motivation
- Leg controller
  - phase modulations based on leg loading/unloading
- Results of simulations & Interleg coordination
  - the ACM for lateral perturbations
- Results of experiments using Kotetsu
- Discussions & Conclusions

# Idea

[Inspired by Ekeberg & Pearson, 2005]

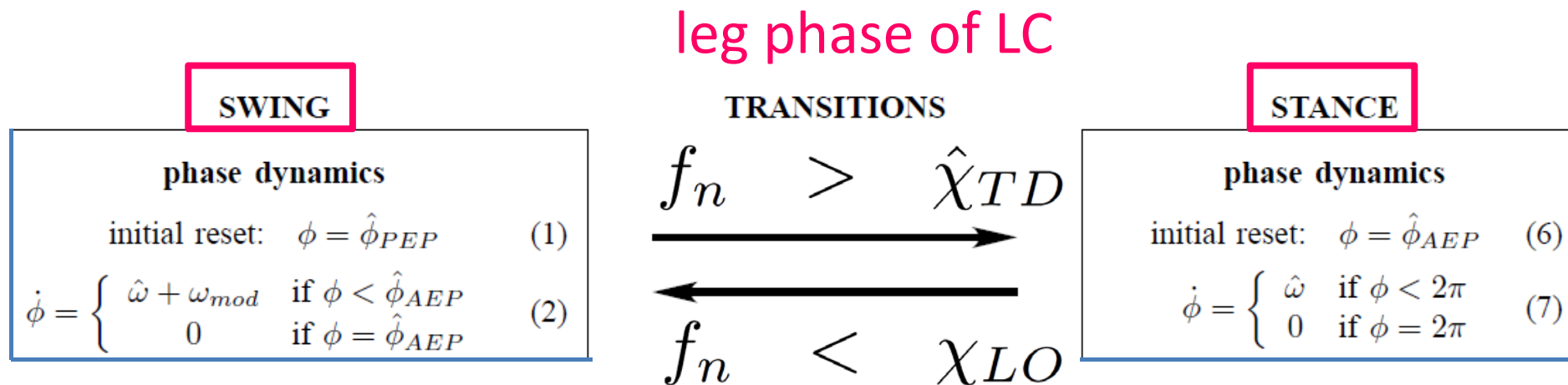
Integration of

- sensor driven self-excited rhythmic motion control
- sensor dependent posture control



# Singe Leg Controller (LC)

- Phase dynamics, phase reset and phase transition -



$\phi$  phase of an oscillator

$\hat{\phi}_{PEP}$   $\hat{\phi}_{AEP}$  initial phase of swing and stance phase, respectively

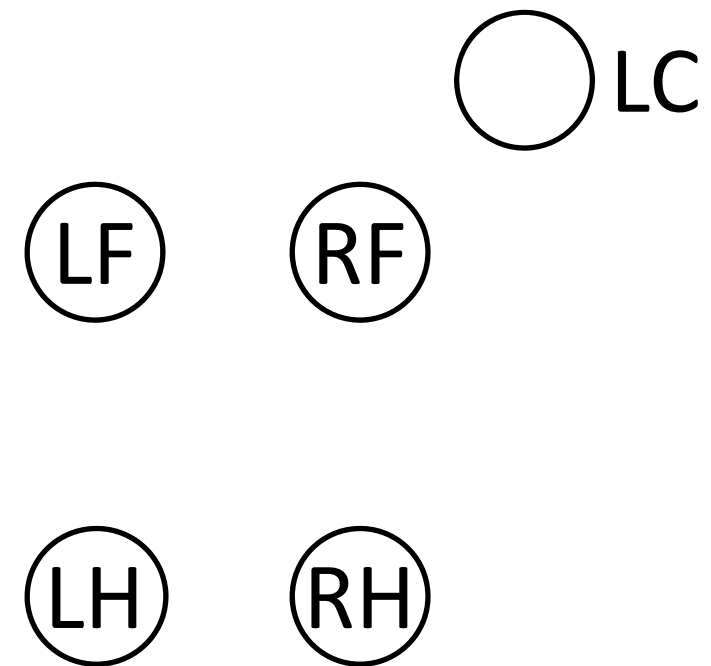
AEP: anterior extr<sup>e</sup>m<sup>e</sup> position      ^ nominal value  
 PEP: posterior extr<sup>e</sup>m<sup>e</sup> position      - real value

# 3D Simulations for gait generation

Gait generation and posture (rolling motion) control  
using phase modulations based on leg loading/unloading



the **walk gait** in various speed



**without explicit  
interleg coordination**

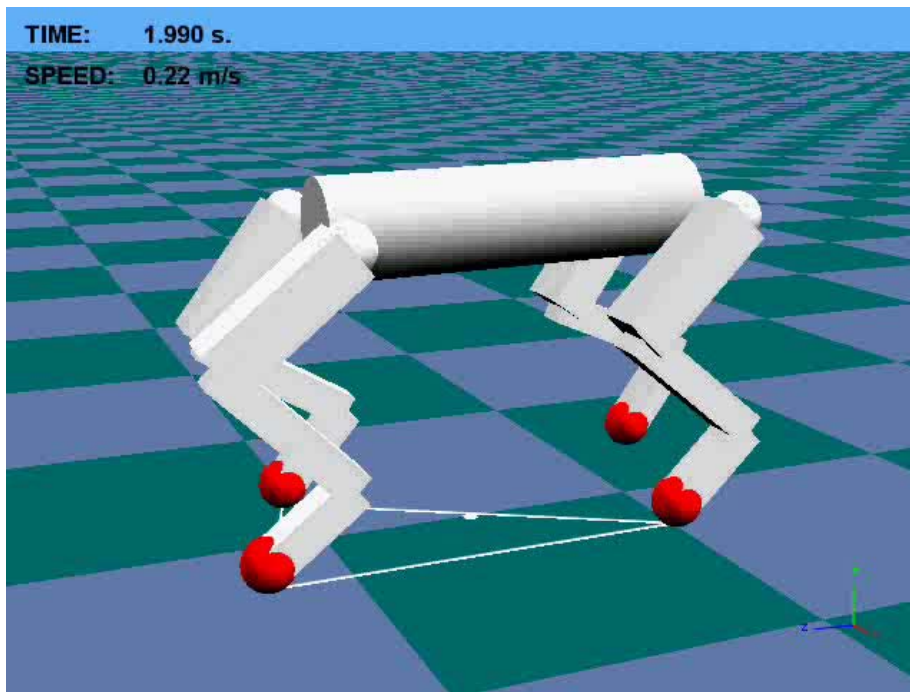
[Maufroy, Kimura and Takase, Auto. Robots, 2010]



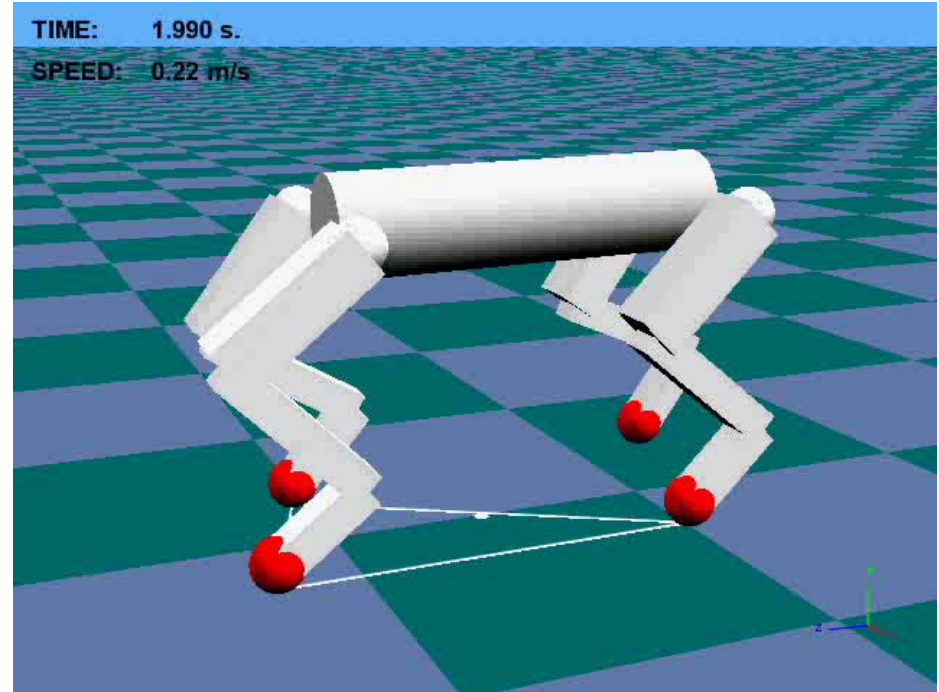
# 3D Simulations for lateral perturbation

$\dot{\theta}_{\text{roll}}$  : body roll angle

increasing  $|\dot{\theta}_{\text{roll}}|$

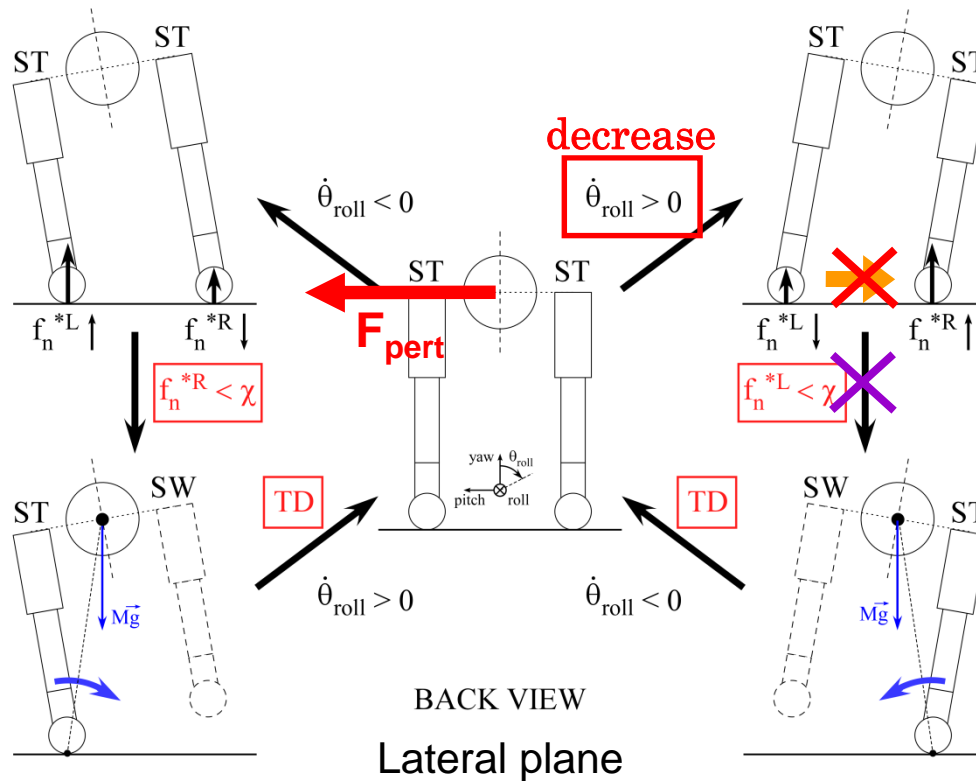


decreasing  $|\dot{\theta}_{\text{roll}}|$



without explicit interleg coordination

# Perturbation decreasing $|\dot{\theta}_{roll}|$ (Simulation)



conflict between rhythmic motion control and posture control

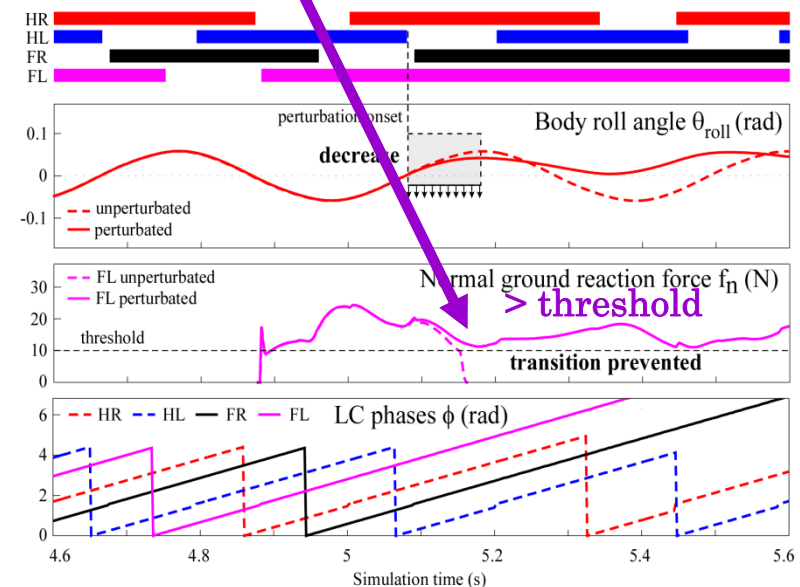


we need to introduce an additional mechanism to solve it

Application at swing onset in HL  
( $F_{pert} = 3 \text{ N}$ )

~~tra~~ **impaired** loading

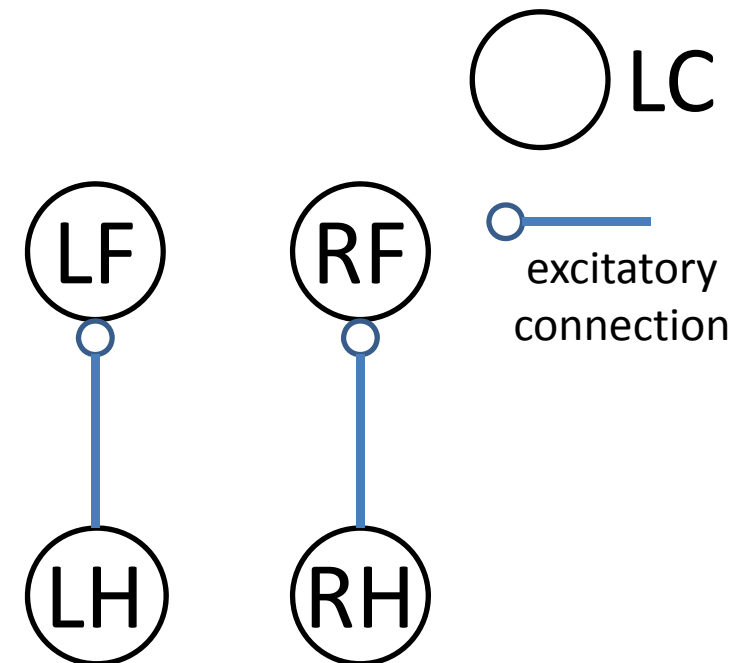
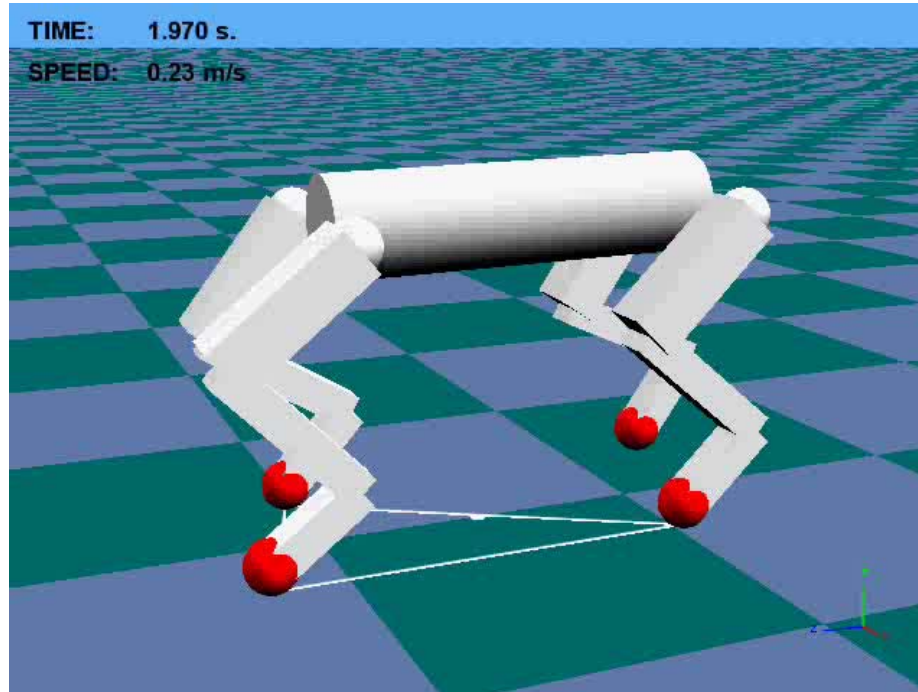
On the more loaded side :  
→ unloading due to rolling motion is reduced  
→ the foreleg cannot swing



→ the model falls forward

# 3D Simulations for lateral perturbation

decreasing  $|\dot{\theta}_{\text{roll}}|$



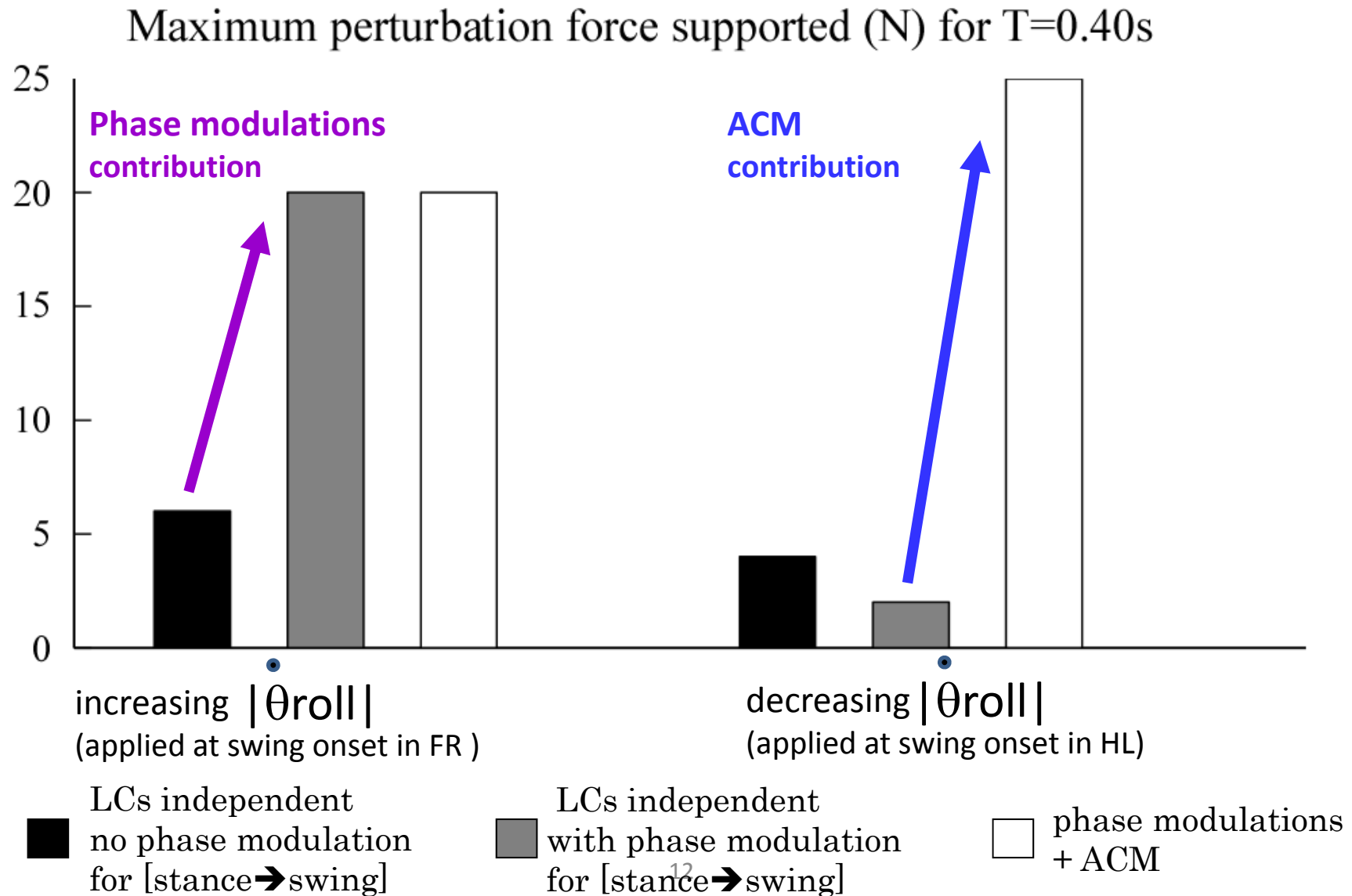
With Ascending Coordination Mechanism (ACM)

to modify  $\chi_{LO}$  of a fore leg

according to the phase of the ipsilateral hind leg

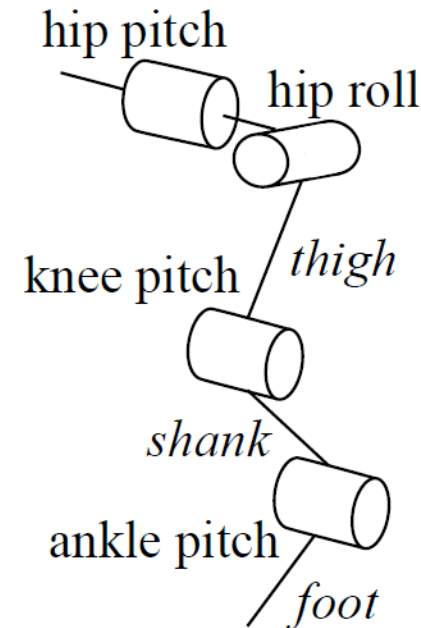
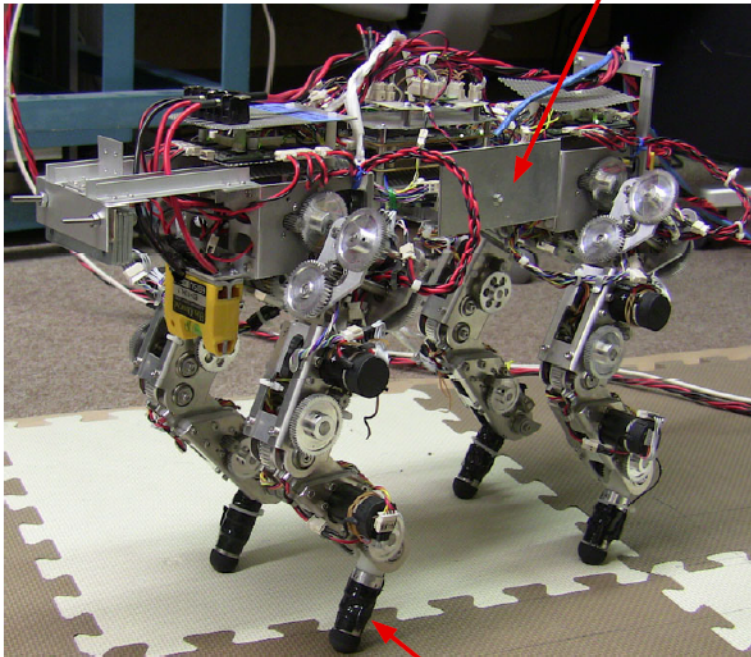
$\chi_{LO}$  : the force threshold to liftoff

# Performances against lateral perturbations (in simulations)



# Quadruped Robot “Kotetsu”

plate struck by mass of a pendulum  
in lateral perturbation experiments



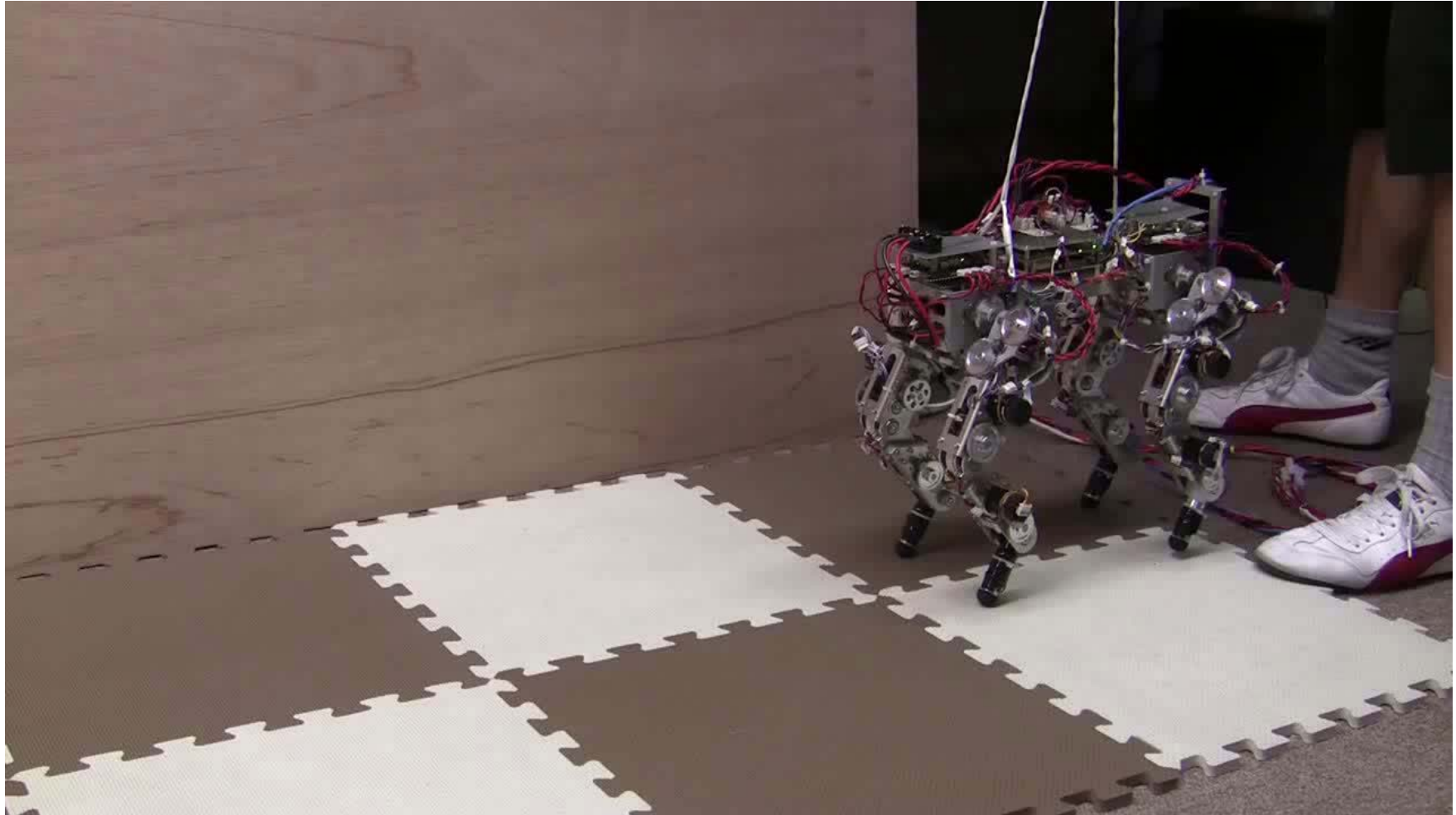
3 axes force/torque sensor

back-drivability &  
compliance by software (P-gain)

whole size	length: 34, width: 19~25, height: 35 (cm)
mass	5.2 (Kg)
DC motors	hip, knee, ankle pitch:20, hip roll:11 (W)
sensors	encoder, rate gyro (pitch&roll), 3 axes accelerometer 3 axes (force: 1 axis, torque: 2 axes) sensor



# Gait Generation



$T=0.64\text{s}$ ,  $\beta=0.71$ ,  $\gamma_{\text{ipsi}}=0.21$ ,  $V=0.2\text{m/s}$

# ACM to modify $\chi_{LO}$ of forelegs

stance to swing of forelegs

$$f_n < \chi_{LO}^{sF}$$

$sF$  : a foreleg

$sH$  : the ipsilateral hind leg

ACM<sub>inh</sub>

$$\chi_{LO}^{sF} = \begin{cases} \tau_{acm} \cdot \hat{\chi}_{LO} & \text{if } \phi^{sH} < \hat{\phi}_{acm} \\ \hat{\chi}_{LO} + \chi_{mod} & \text{if } \phi^{sH} \in [\hat{\phi}_{acm}; \hat{\phi}_{AEP}] \\ -5(N) & \text{if } \phi^{sH} > \hat{\phi}_{AEP} \end{cases}$$

ACM<sub>exc</sub>

$$\hat{\phi}_{acm} = 0.5 \cdot \hat{\phi}_{AEP} \quad \tau_{acm} = \phi^{sH} / \hat{\phi}_{acm}$$

$$\underline{\chi_{mod} = \tau_{mod}(\phi^{sH}) \cdot \hat{\chi}_{ampl}}$$

$$\tau_{mod}(\phi) = (\phi - \hat{\phi}_{acm}) / (\hat{\phi}_{AEP} - \hat{\phi}_{acm})$$

# ACM to shorten the swing phase duration of forelegs

increasing angular velocity of an oscillator

$$\omega^{sF} = \hat{\omega} + \omega_{mod}^{sF}$$

$sF$  : a foreleg

$sH$  : the ipsilateral  
hind leg

ACM $_{\omega}$

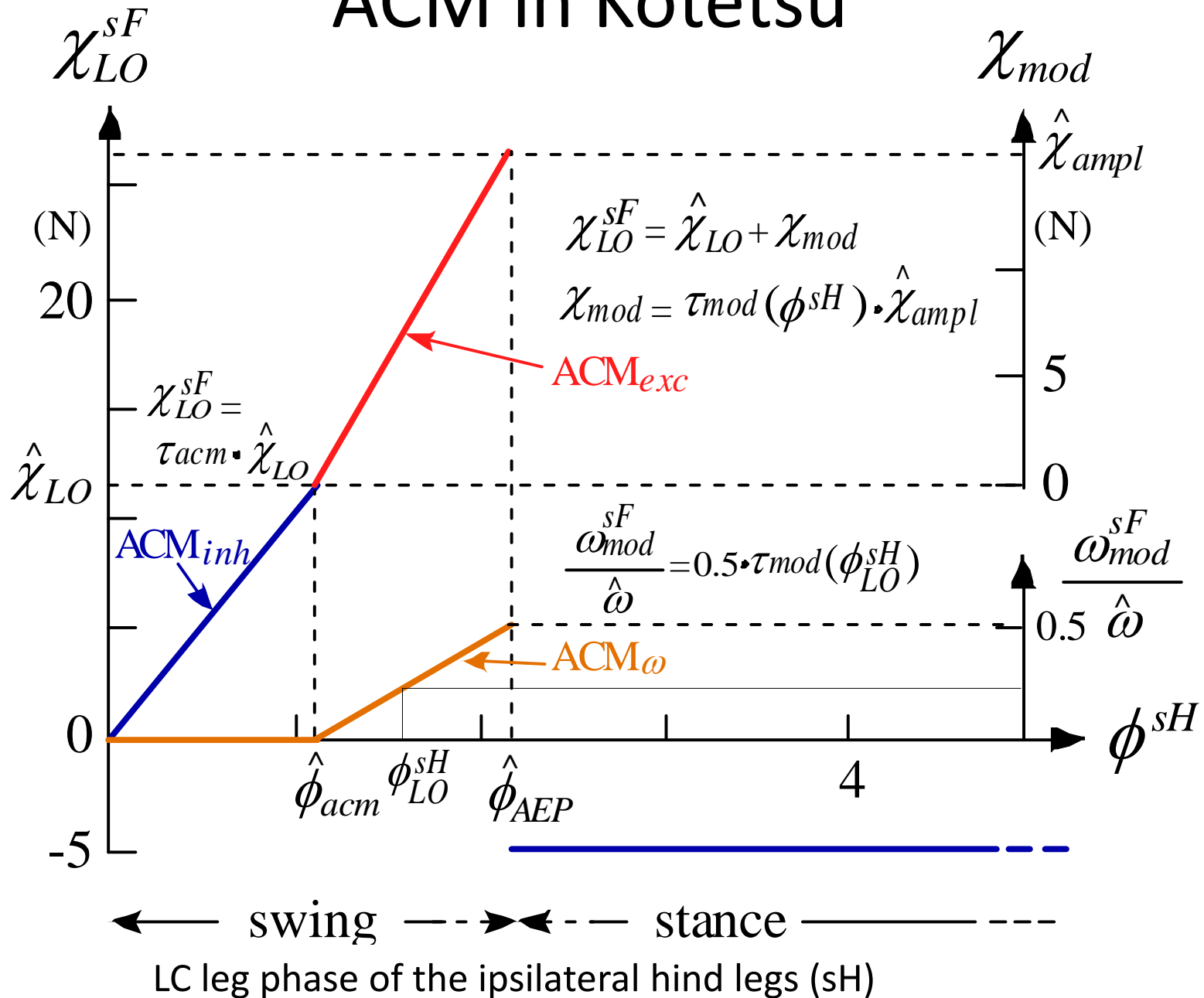
$$\omega_{mod}^{sF} = \begin{cases} 0.5 \cdot \tau_{mod}(\phi_{LO}^{sH}) \cdot \hat{\omega} & \text{if } \phi_{LO}^{sH} \in [\hat{\phi}_{acm}; \hat{\phi}_{AEP}] \\ 0 & \text{otherwise} \end{cases}$$

$\phi_{LO}^{sH}$  the LC phase of the hind leg at the moment  
when the foreleg transits to the swing phase.

$$\tau_{mod}(\phi) = (\phi - \hat{\phi}_{acm}) / (\hat{\phi}_{AEP} - \hat{\phi}_{acm})$$



# ACM in Kotetsu



# Role of each ACM

$ACM_{inh}$  (always being employed in Kotetsu)

to avoid disorder of phase transitions caused by the slightly backward location of the center of mass of the body.

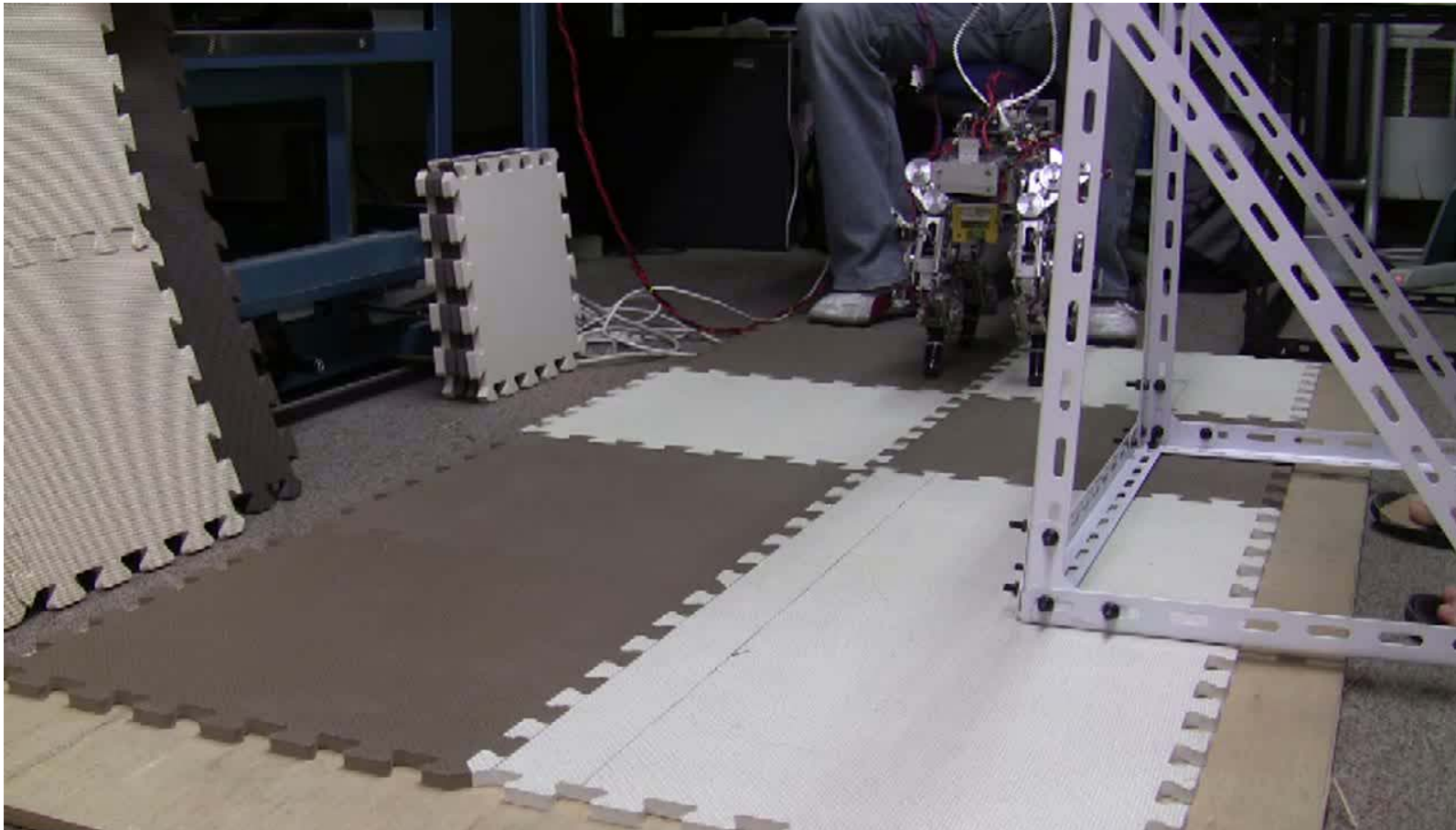
$ACM_{exc}$

to promote the stance-to-swing phase transition of a foreleg by increasing the force threshold. As a result, a robot can keep stepping of correct order after a lateral perturbation.

$ACM_{\omega}$

to increase the speed of a foreleg when the stance-to-swing phase transition is delayed. As a result, a robot can keep the enough step length after a lateral perturbation.

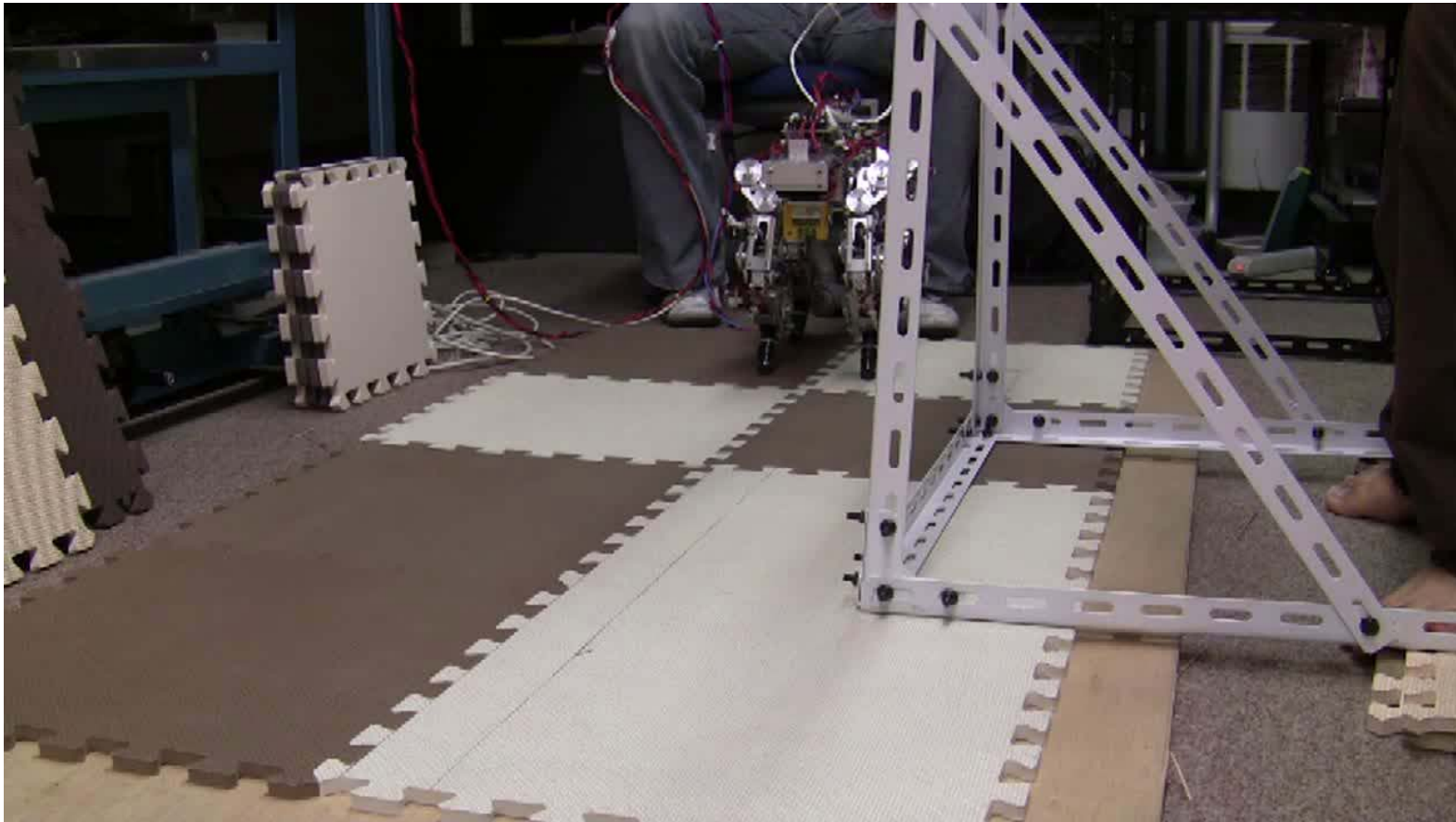
**Without**  $ACM_{exc}$  and  $ACM_{\omega}$   
lateral perturbation decreasing  $|\theta_{roll}|$



Impact: LF-sw

Afterwards: LF-st  $\rightarrow$  RH-sw  $\rightarrow$  RF-sw ..... RF-st  $\rightarrow$  LH-sw  ~~$\rightarrow$~~  LF-sw<sub>19</sub>

With ACMexc and  $ACM\dot{\omega}$   
lateral perturbation decreasing  $|\dot{\theta}_{roll}|$



Impact: LF-st

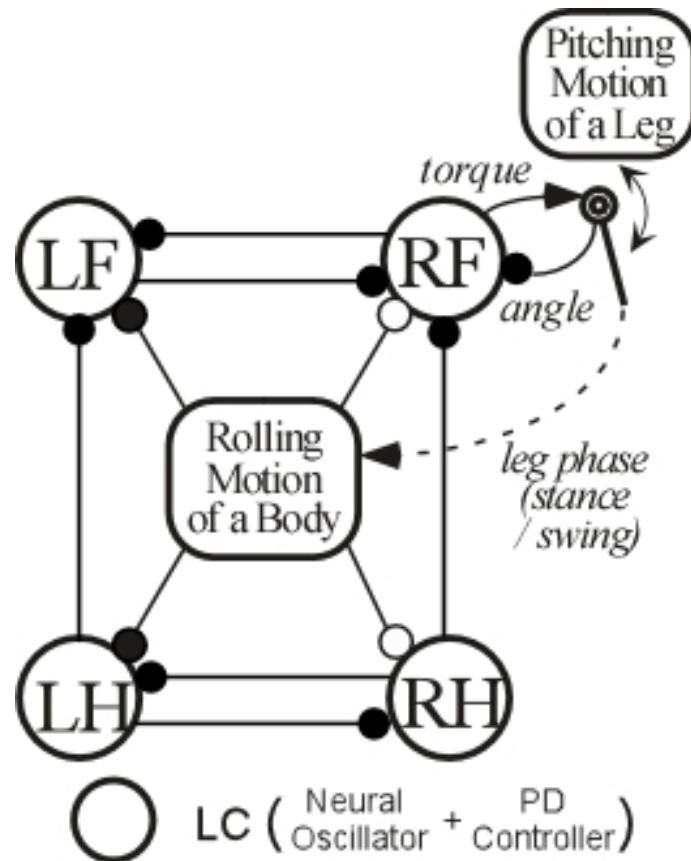
Afterwards: LH-sw  $\rightarrow$  LH-st  $\rightarrow$  LF-sw  $\rightarrow$  LF-st  $\rightarrow$  RH-sw  $\rightarrow$  RF-sw... 20

# How to defined the value of $\hat{\chi}_{LO}$

nominal threshold to liftoff

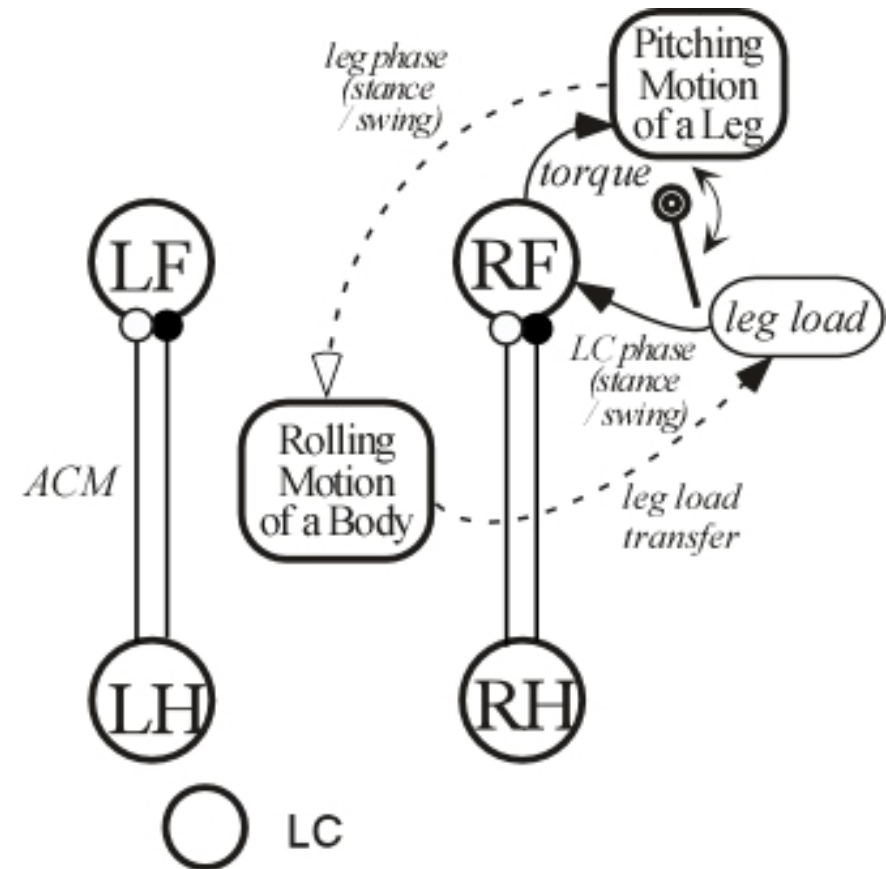
- $\hat{\chi}_{LO}$  is an important parameter to defines when a leg is considered as unloaded.
- Too much high or small values prevent stable leg load transfer between contralateral legs.
  - high : too small walking cyclic period  
less robustness against force sensor noises
  - small : difficult to initiate and sustain the lateral rolling motion
- ACM makes the selection of  $\hat{\chi}_{LO}$  value be less critical.

# Emergent Motion Generation



○ — Excitatory Connection  
● — Inhibitory Connection

Tekken



○ — Excitatory Connection  
● — Inhibitory Connection

Kotetsu



# Locomotion speed & control

In low speed dynamic walking, we need to consider much sensor dependent posture control under rhythmic motion of legs.

Dominant Factor

Posture Control

Gravity

Inertial Force

Rhythmic Motion Control

Low

Medium

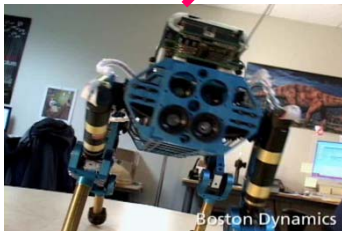
High

0.2

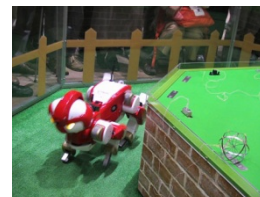
0.5

0.7

1



static walking



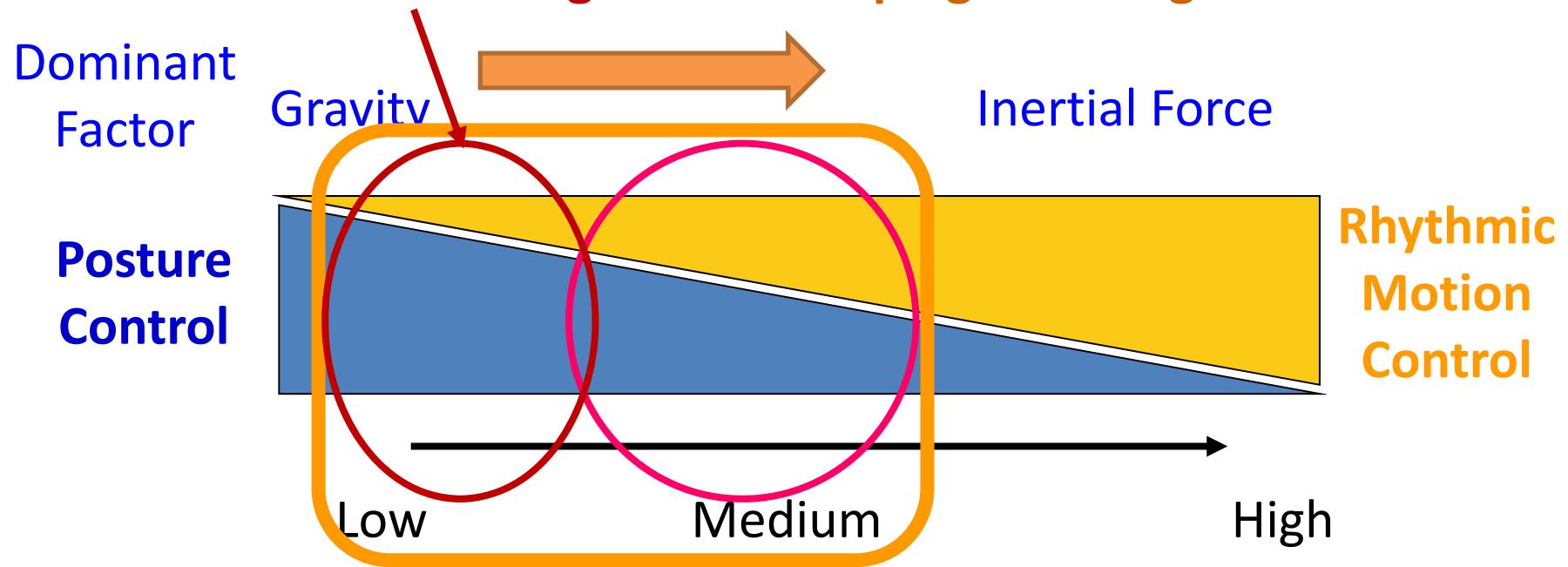
Series of Tekken [2001-2005]



# Objectives of this study

**How posture & rhythmic motion control are integrated.**

**Expand applicable speed range keeping such single mechanism.**



Realization of low- & medium-speed dynamic walking with using **single mechanism integrating posture and rhythmic motion control**



# Conclusions

## - perturbations on lateral motion -

- Phase modulations based on leg loading/unloading:
  - basic but **powerful mechanism**
  - greatly contribute to leg coordinations and rolling motion stabilization
  - LCs independent but for the ascending coordination mechanism (ACM)
- As the ACM, we implemented
  - ACMinh : newly employed for experiments using “Kotetsu”
  - ACMexc and ACM $\omega$  : exactly identical to the ones used in simulations
- We confirmed the validity of simulation results by experiments

# Thank you for your attention !

<http://robotics.mech.kit.ac.jp/kotetsu/>

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from MEXT in Japan.

Why low speed dynamic walking with **long cyclic period** is difficult to realize.

- It means that frequency of switching phase or touch down of legs decreases. As a result, **posture control via**
  - switching phase &
  - **touchdown angle control** (used in Biper, Raibert's hopping machines, Tekken, ASHIMO, BigDog)**is not so effective.**
- The increased amplitude of rolling motion makes walking unstable. [Kimura, Shimoyama and Miura 1990]

# Comparison between Simulations and Experiments

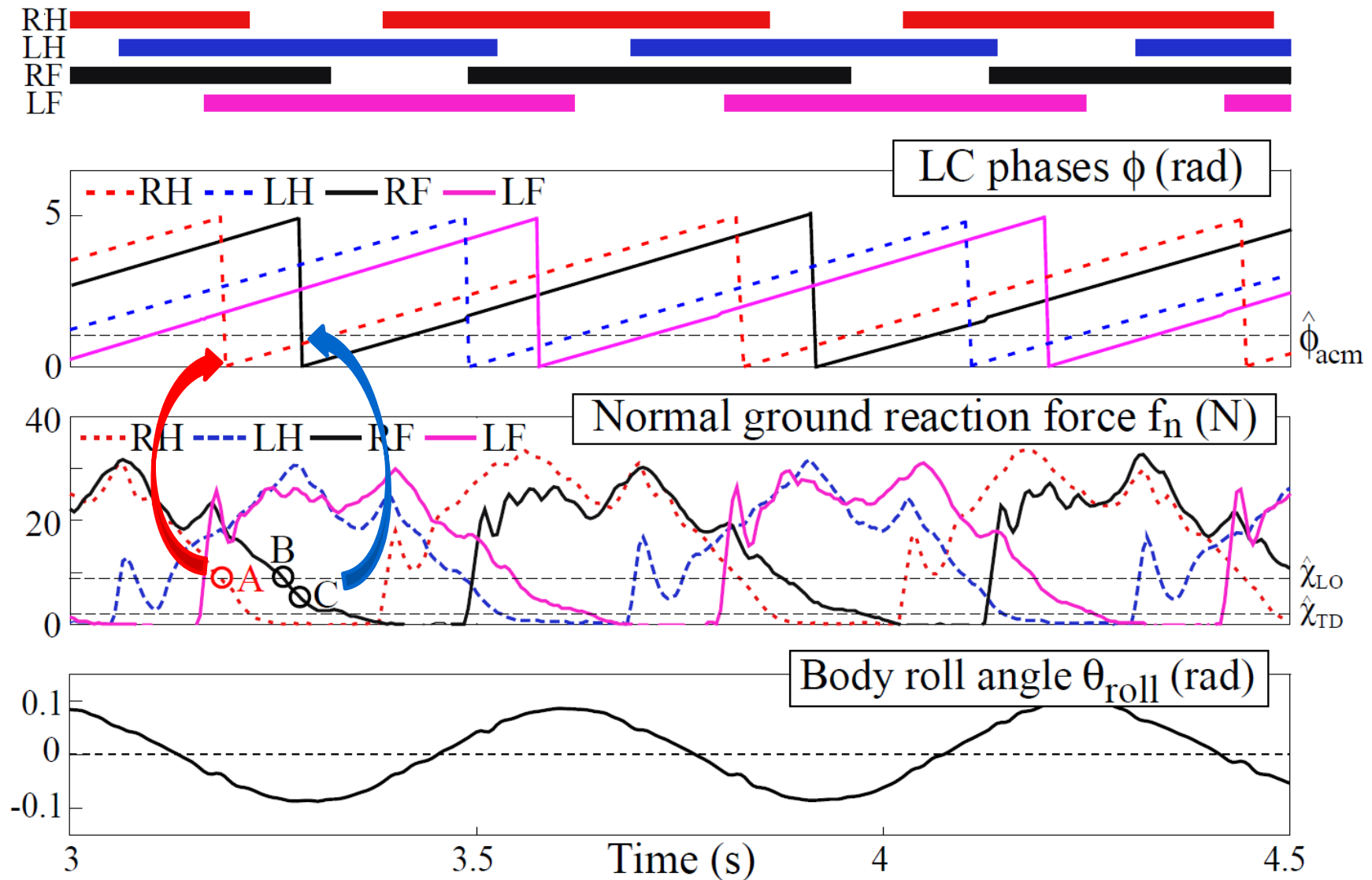
Excluding ACMinh, results are exactly corresponding.

	perturbation	ACM <sub>inh</sub>	ACM <sub>exc</sub>	ACM <sub>ω</sub>	result
sim.	no ( <i>Fig.6</i> )	×	×	×	success
sim.	↑ ( <i>Fig.12</i> )	×	×	×	success
sim.	↓ ( <i>Fig.13</i> )	×	×	×	fail
sim.	↓ ( <i>Fig.14</i> )	×	○	○	success
exp.	no	×	×	×	disorder
exp.	no	○	×	×	success
exp.	↑ ( <i>Fig. 4</i> )	○	×	×	success
exp.	↓ ( <i>Fig. 5</i> )	○	×	×	fail
exp.	↓ ( <i>Fig. 6</i> )	○	○	○	success

↑ increasing  $|\dot{\theta}_{roll}|$   
 ↓ decreasing  $|\dot{\theta}_{roll}|$

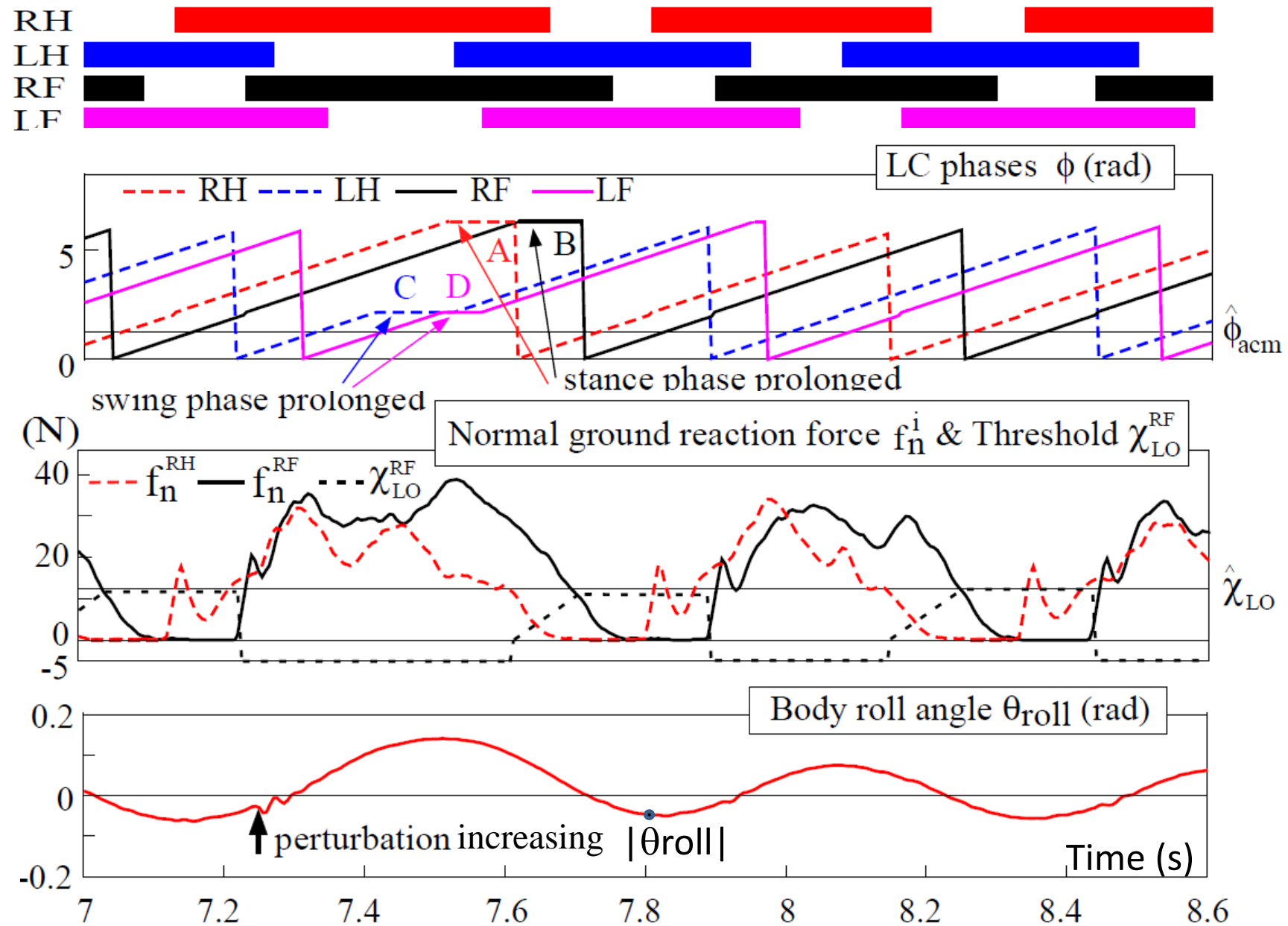
# Gait Generation Result (Experiment)

With ACMinh & Without ACMexc and ACM $\omega$

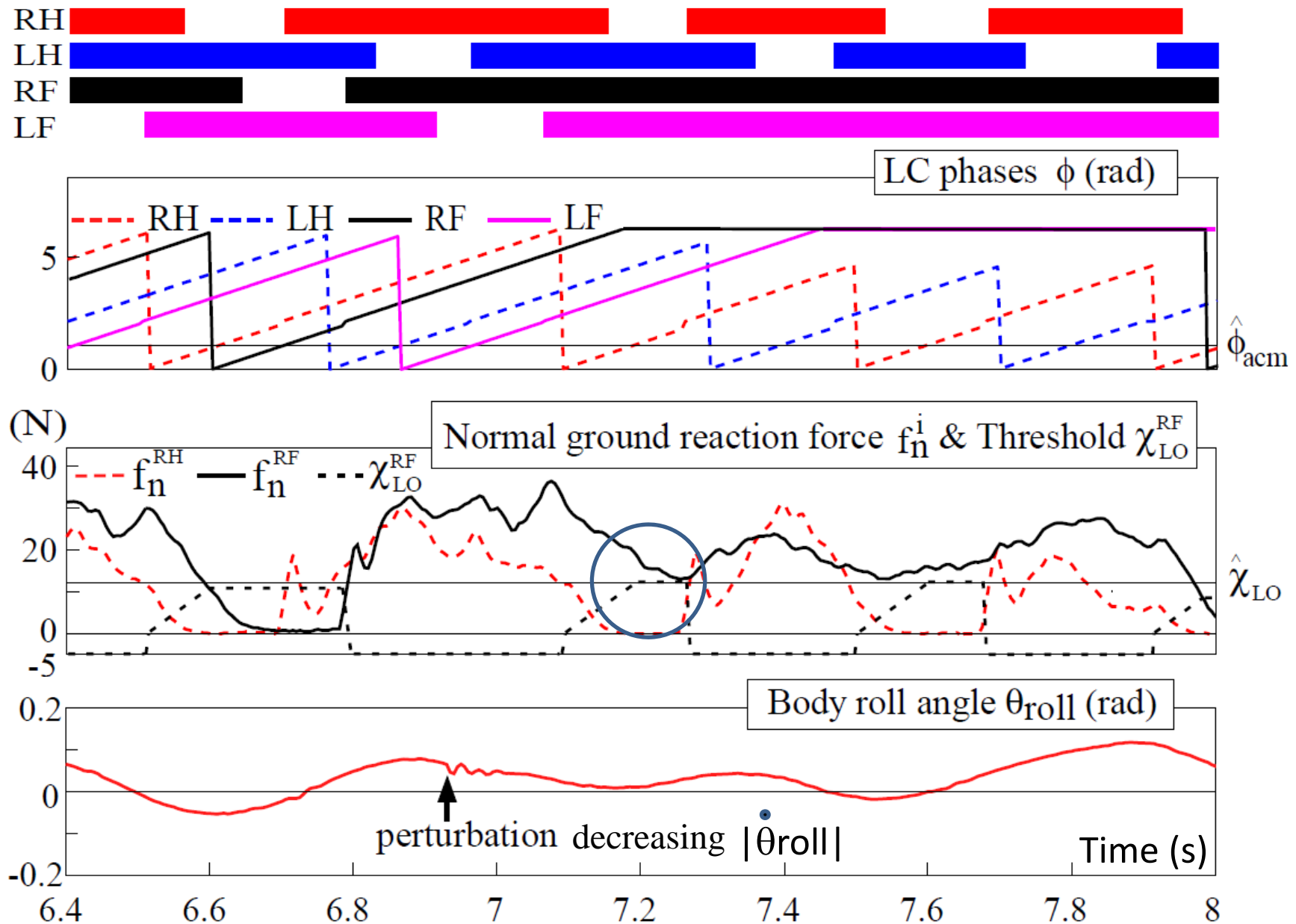


$T=0.64s$ ,  $\beta=0.71$ ,  $\gamma_{ipsi}=0.21$ ,  $V=0.2m/s$

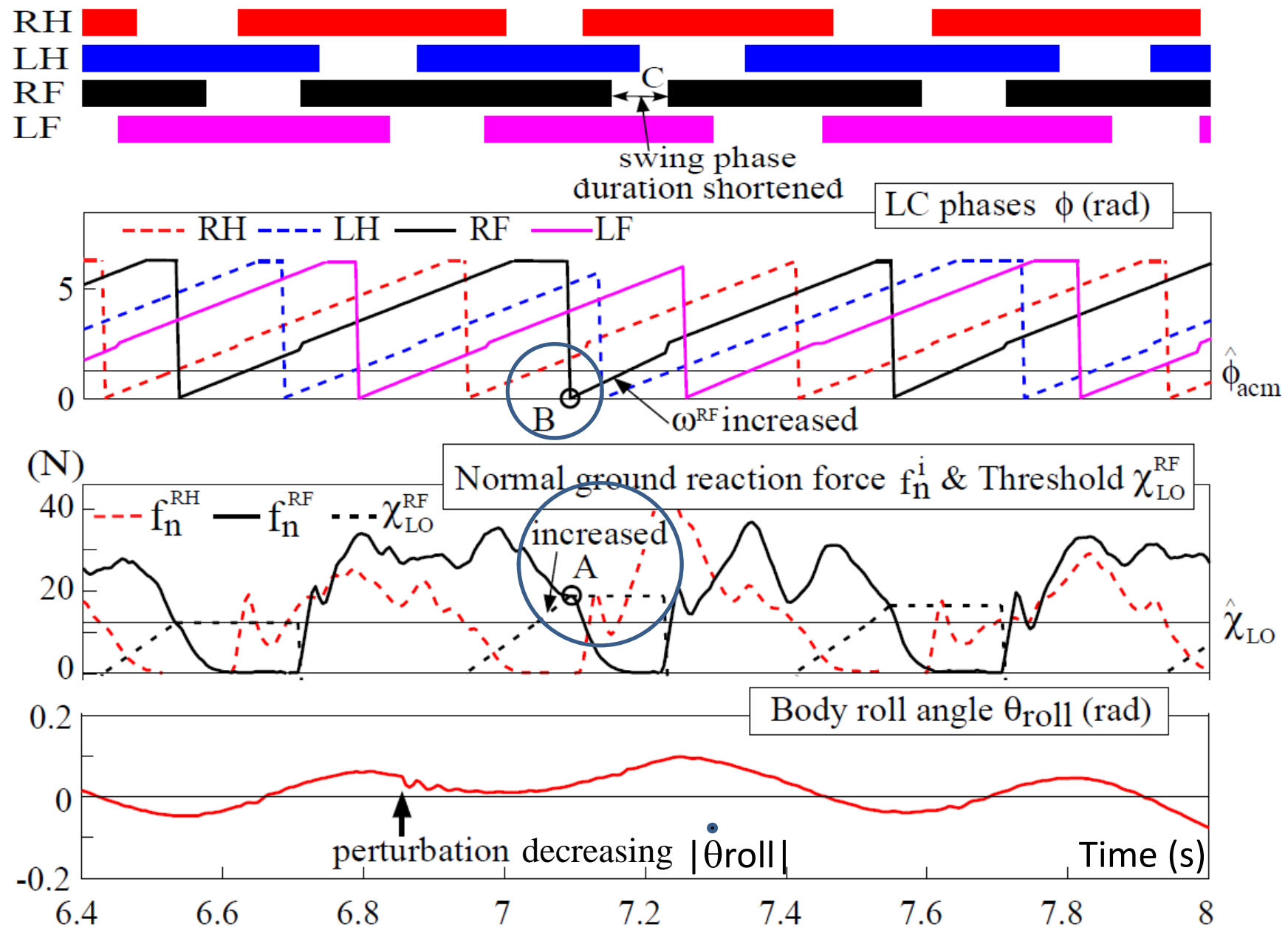
increasing  $|\theta_{\text{roll}}|$  **without** ACMexc and ACM $\omega$



decreasing  $|\theta_{\text{roll}}|$  without ACMexc and  $\text{ACM}\omega$



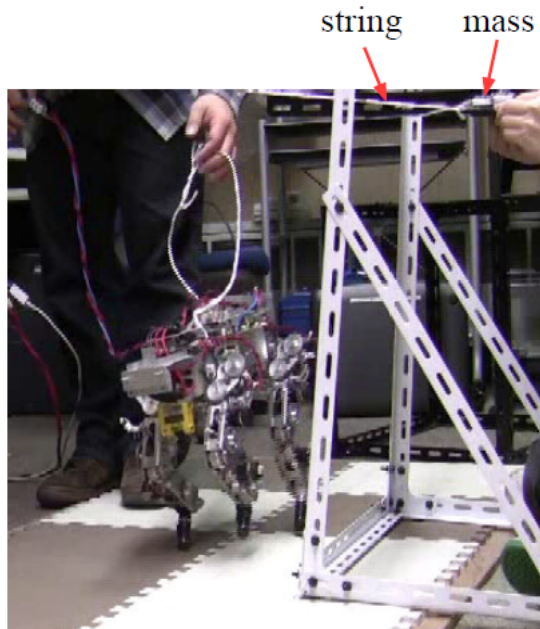
decreasing  $|\dot{\theta}_{\text{roll}}|$  with ACMexc and ACM $\omega$



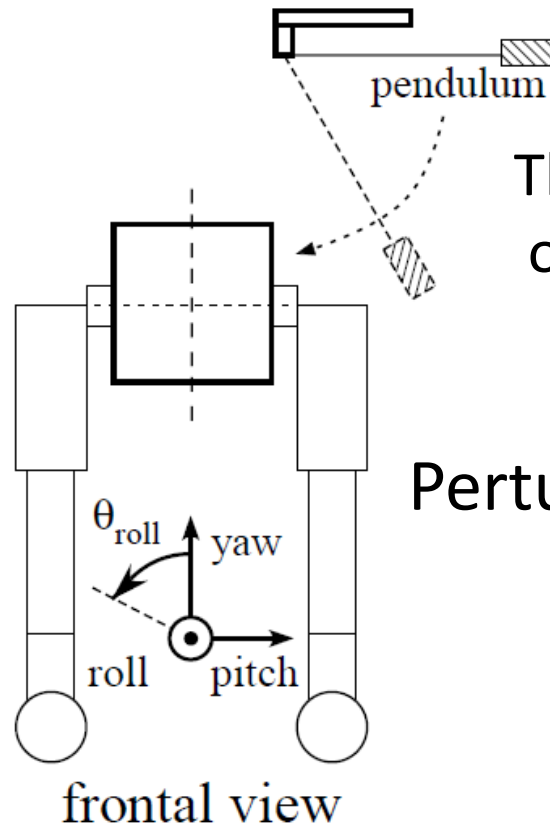


# Lateral Perturbation Setup

mass 200g, string length 0.35m



just before  
releasing the mass



The mass hits the center  
of the body to the right.

Perturbation Timing

•  
increasing  $|\theta_{roll}|$

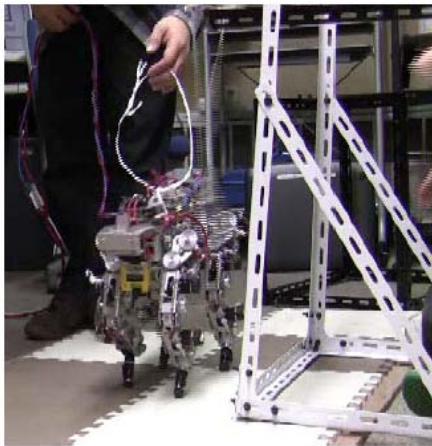
or

•  
decreasing  $|\theta_{roll}|$

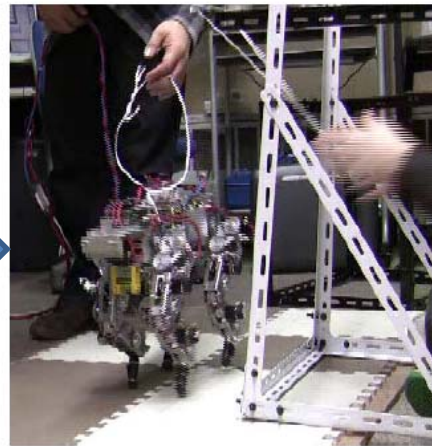
more serious

# With ACMexc and $ACM\omega$

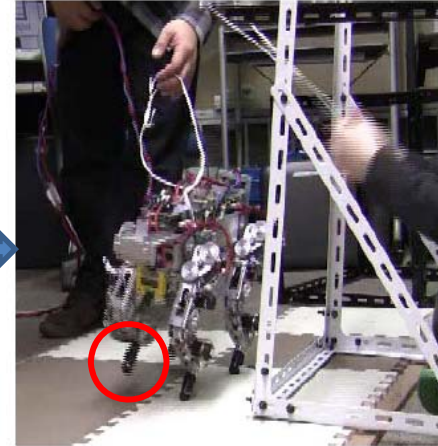
lateral perturbation decreasing  $|\dot{\theta}_{roll}|$



at impact

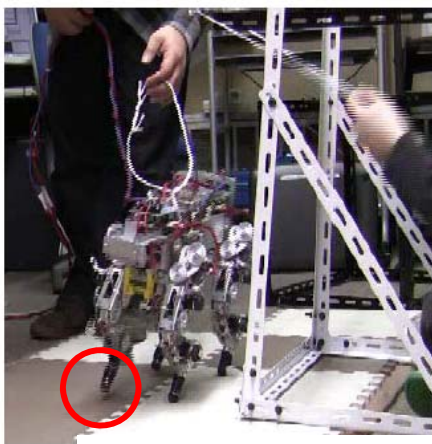


just after impact

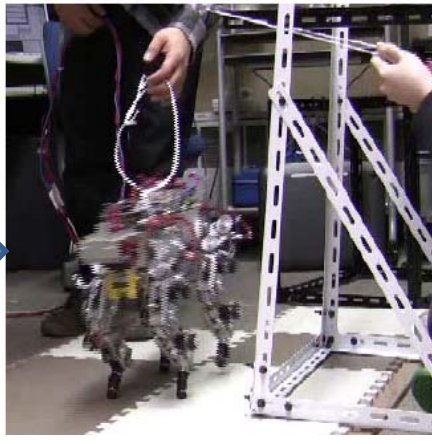


0.3s after impact

RF  
lifted off



RF  
touched  
down



afterwards

